Graphs and Genomes

Michael Schatz

Bioinformatics Lecture 3

Quantitative Biology 2013



Dynamic Programming Matrix

Compute the optimal alignment of ABC...XY..N and DEF...UV...M

	0	A	В	С	•••	X	Y	•••	N
0									
D									
Е									
F									
•••									
U									
V									
•••									
M									

Dynamic Programming Matrix

Compute the optimal alignment of ABC...XY..N and DEF...UV...M

	0	A	В	С	•••	X	Y	•••	N
0	0	Ι	2	3		X	X+I		N
D	I								
E	2								
F	3								
•••									
U	U								
V	U+I								
•••									
М	М								

Top row and first column are easy: it takes L-edits to transform and empty string into a length L string

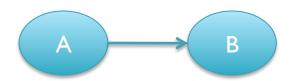
Dynamic Programming Matrix

Compute the optimal alignment of "ABC...XY..N" and "DEF...UV...M"

	0	A	В	С	•••	X	Y	•••	N
0	0	_	2	3		X	X+I		Ν
D	I								
E	2								
F	3								
•••									
U	U					γ	α		
V	U+I					β 🥌	Ω		
•••									
M	М								

Biological Networks Figure 5 Putative regulatory elements shared between groups of correlated and anticorrelated genes tRNA, ATP. Wellcome, 1995 Vanessa M. Brown et al. Genome Res. 2002; 12: 868-884 **EUKARYA** ♣ Entamoebae BACTERIA Heterolobosea Mycoplasma Physarum Plant Chloroplasts Kinetoplastids Cyanobacteria • Euglenoids Microsporidians Agrobacterium -Trichomonads Enterobacte ria F Halobacteria Thermoplasma → DNA biosyuthesis Methanobacteria ARCHAEA

Graphs



Nodes

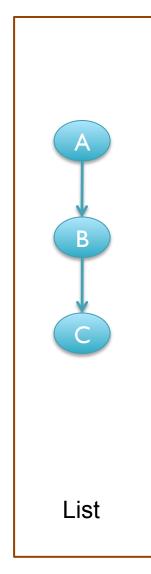
- People, Proteins, Genes, Neurons, Sequences, Numbers, ...

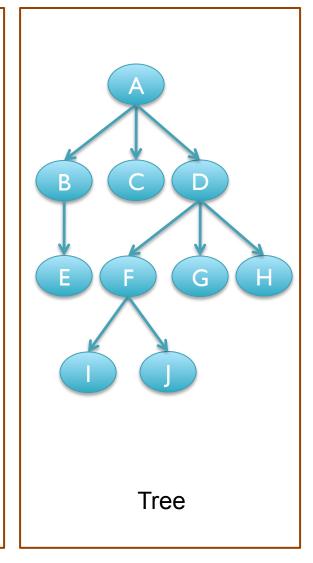
Edges

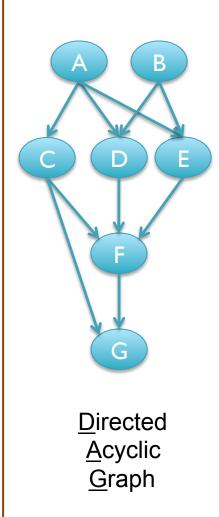
- A is connected to B
- A is related to B
- A regulates B
- A precedes B
- A interacts with B
- A activates B

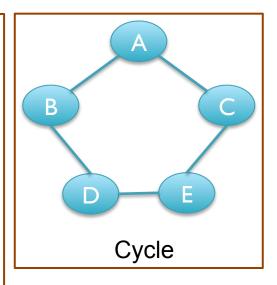
– ...

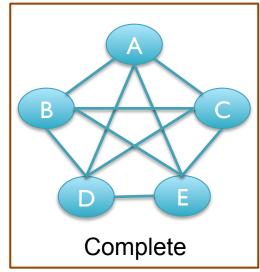
Graph Types



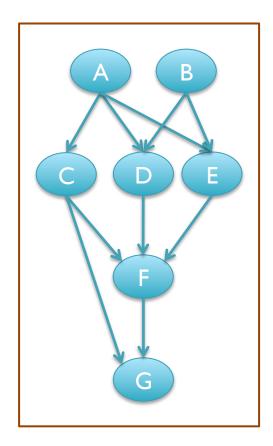








Representing Graphs



Adjacency Matrix Good for dense graphs Fast, Fixed storage: N² bits

	A	В	С	D	Ε	F	G
Α			I	I	I		
В				I	ı		
С						I	I
D						I	
Ε						I	
F							I
G							

Adjacency List

Good for sparse graphs Compact storage: 4 bytes/edge

A: C, D, E

B: D, E

E: F

C: F, G

Edge List

Easy, good if you (mostly) need to iterate through the edges 8 bytes / edge

A,C A,D

B,C

C,F

A,E

B,DB,E

C,G D,F

E,F

F,G

Tools

Matlab: http://www.mathworks.com/

Graphviz: http://www.graphviz.org/

Gephi: https://gephi.org/

Cytoscape: http://www.cytoscape.org/

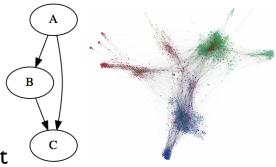
digraph G {

A -> B

B->C

A->C

dot -Tpdf -og.pdf g.dot



Network Characteristics

	C. elegans	D. melanogaster	S. cerevisiae
# Nodes	2646	7464	4965
# Edges	4037	22831	17536
Avg. / Max Degree	3.0 / 187	6.1 / 178	7.0 / 283
# Components	109	66	32
Largest Component	2386	7335	4906
Diameter	14	12	11
Avg. Shortest Path	4.8	4.4	4.1
Data Sources	2H	2x2H, TAP-MS	8x2H, 2xTAP, SUS
Degree Distributions	1000 1000 1000 1000 1000 1000 1000 100	1000 1000 100 100 100 100 100 100 100 1	1000 1000 1000 1000 1000 1000 1000 100

Small World: Avg. Shortest Path between nodes is small

Scale Free: Power law distribution of degree – preferential attachment

Network Motifs

- Network Motif
 - Simple graph of connections
 - Exhaustively enumerate all possible 1, 2, 3, ... k node motifs
- Statistical Significance
 - Compare frequency of a particular network motif in a real network as compared to a randomized network
- Certain motifs are "characteristic features" of the network

Network	Nodes	Edges	$N_{\rm real}$	N _{rand} ± SD	Z score	$N_{\rm real}$	$N_{\rm rand} \pm {\rm SD}$	Z score	$N_{\rm real}$	N _{rand} ± SE	Z score
Gene regulat (transcription		Ĭ	_	X W Y W Z	Feed- forward loop	x z	₩ W	Bi-fan			
E. coli	424	519	40	7 ± 3	10	203	47 ± 12	13			
S. cerevisiae* Neurons	685	1,052	70	11 ± 4 X W Y W Z	14 Feed- forward loop	1812 X Z	300 ± 40 W	Bi-fan	K _X	K ^Z	Bi- parallel
C. elegans†	252	509	125	90 ± 10	3.7	127	55 ± 13	5.3	227	35 ± 10	20
Food webs				X W Y V Z	Three chain	Y X	ν^z	Bi- parallel			
Little Rock Ythan St. Martin Chesapeake Coachella Skipwith B. Brook	92 83 42 31 29 25 25	984 391 205 67 243 189 104	3219 1182 469 80 279 184 181	3120 ± 50 1020 ± 20 450 ± 10 82 ± 4 235 ± 12 150 ± 7 130 ± 7	2.1 7.2 NS NS 3.6 5.5 7.4	7295 1357 382 26 181 397 267	2220 ± 210 230 ± 50 130 ± 20 5 ± 2 80 ± 20 80 ± 25 30 ± 7	25 23 12 8 5 13 32			
Electronic cir (forward logic			\ \	X W Y W Z	Feed- forward loop	x z	¥ ₩	Bi-fan	Y X X	Z V	Bi- parallel
s15850 s38584 s38417 s9234 s13207	10,383 20,717 23,843 5,844 8,651	14,240 34,204 33,661 8,197 11,831	424 413 612 211 403	2 ± 2 10 ± 3 3 ± 2 2 ± 1 2 ± 1	285 120 400 140 225	1040 1739 2404 754 4445	1 ± 1 6 ± 2 1 ± 1 1 ± 1 1 ± 1	1200 800 2550 1050 4950	480 711 531 209 264	2 ± 1 9 ± 2 2 ± 2 1 ± 1 2 ± 1	335 320 340 200 200
Electronic ci (digital fracti		ipliers)	/ x ←	- z	Three- node feedback loop	x z	¥ ₩	Bi-fan	x- ↑ z <	→ Y ↓ ↓ ₩	Four- node feedback loop
s208 s420 s838‡	122 252 512	189 399 819	10 20 40	1 ± 1 1 ± 1 1 ± 1	9 18 38	4 10 22	1 ± 1 1 ± 1 1 ± 1	3.8 10 20	5 11 23	1 ± 1 1 ± 1 1 ± 1	5 11 25
World Wide	Web			X Y Q Z	Feedback with two mutual dyads	Y ←	√ ⇒ z	Fully connected triad	1	√ > z	Uplinked mutual dyad
nd.edu§	325,729	1.46e6	1.1e5	2e3 ± 1e2	800	6.8e6	5e4±4e2	15,000	1.2e6	1e4 ± 2e2	2 5000

Network Motifs: Simple Building Blocks of Complex Networks

Milo et al (2002) Science. 298:824-827

Modularity

Community structure

 Densely connected groups of vertices, with only sparser connections between groups

 Reveals the structure of large-scale network data sets

Modularity

 The number of edges falling within groups minus the expected number in an equivalent network with edges placed at random

- Larger positive values => Stronger community structure
- Optimal assignment determined by computing the eigenvector of the modularity matrix

 $Q = \boxed{\frac{1}{4m} \sum_{ij} \left(A_{ij} - \boxed{\frac{k_i k_j}{2m}} \right) (s_i s_j + 1)}$ Normalization Adjacency factor Matrix Indicates same group

Modularity and community structure in networks. Newman ME (2006) PNAS. 103(23) 8577-8582

Random Prob. (product of degrees)

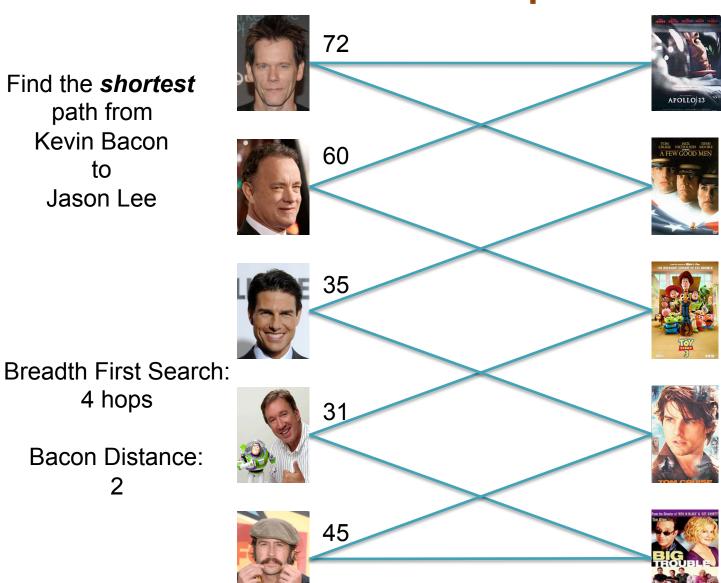
Kevin Bacon and Bipartite Graphs

Find the **shortest** path from **Kevin Bacon** to Jason Lee

4 hops

Bacon Distance:

2





BFS

```
BFS(start, stop)
// initialize all nodes dist = -I
start.dist = 0
list.addEnd(start)
while (!list.empty())
    cur = list.begin()
    if (cur == stop)
        print cur.dist;
    else
        foreach child in cur.children
        if (child.dist == -I)
            child.dist = cur.dist+I
```

list.addEnd(child)

```
<u>A</u>,B,C
<u>B</u>,C,D,E
<u>C</u>,D,E,F,L

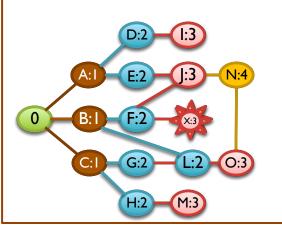
<u>D</u>,E,F,L,G,H,I

<u>E</u>,F,L,G,H,I,J

<u>L</u>,G,H,I,J,X

<u>G</u>,H,I,J,X,O

<u>H</u>,I,J,X,O
```



<u>I</u>,J,X,O,M <u>J</u>,X,O,M <u>X</u>,O,M,N <u>O</u>,M,N <u>M</u>,N

<u>N</u>

[How many nodes will it visit?]

[What's the running time?]

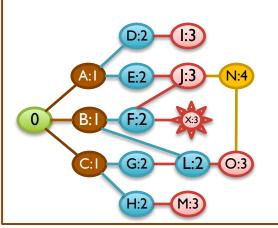
[What happens for disconnected components?]

BFS

list.addEnd(child)

A,B,C B,C,D,E C,D,E,F,L D,E,F,L,G,H E,F,L,G,H,I F,L,G,H,I,J L,G,H,I,J,X G,H,I,J,X,O H,I,J,X,O

0



<u>I</u>,J,X,O,M <u>J</u>,X,O,M <u>X</u>,O,M,N <u>O</u>,M,N <u>M</u>,N

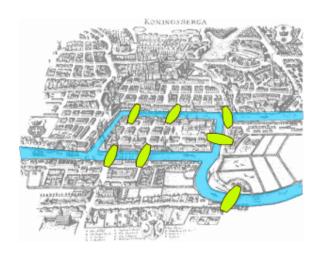
<u>N</u>

DFS

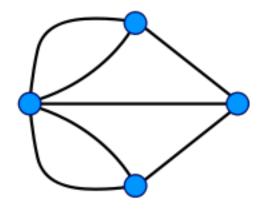
```
DFS(start, stop)
// initialize all nodes dist = -1
start.dist = 0
                                           A,B,<u>C</u>
list.addEnd(start)
                                           A,B,G,\underline{H}
while (!list.empty())
                                           A,B,G,M
  cur = list.end()
  if (cur == stop)
                                           A,B,\underline{G}
    print cur.dist;
  else
                                           A,B,L
    foreach child in cur.children
                                           A,B,O
       if (child.dist == -1)
                                           A,B,N
          child.dist = cur.dist+1
                                           A,B,J
          list.addEnd(child)
                                           A,B,E,F
                                           A,B,E,\underline{K}
                                           A,B,\underline{E}
                                           A,B
```

Eulerian Cycle Problem

- Seven Bridges of Königsberg
 - Find a cycle that visits every edge exactly once







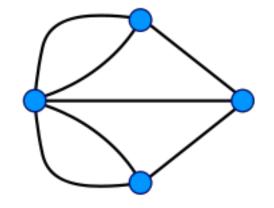
[Can you find the cycle?]

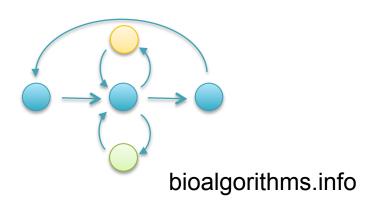
Euler Theorem

 A graph is *balanced* if for every vertex the number of incoming edges equals to the number of outgoing edges:

$$in(v) = out(v)$$

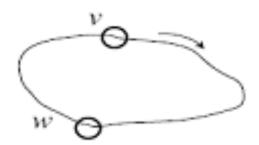
• **Theorem**: A connected graph is Eulerian if and only if each of its vertices is balanced.





Algorithm for Constructing an Eulerian Cycle

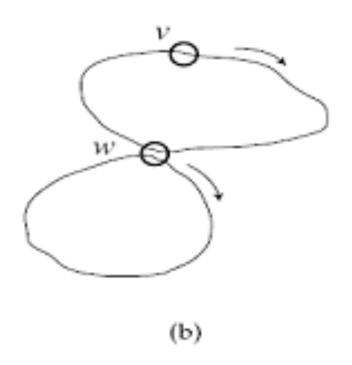
a. Start with an arbitrary vertex v and form an arbitrary cycle with unused edges until a dead end is reached. Since the graph is Eulerian this dead end is necessarily the starting point, i.e., vertex v.



(a)

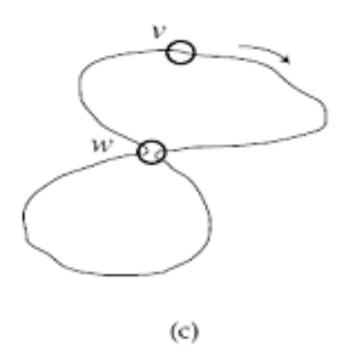
Algorithm for Constructing an Eulerian Cycle (cont'd)

b. If cycle from (a) above is not an Eulerian cycle, it must contain a vertex w, which has untraversed edges. Perform step (a) again, using vertex w as the starting point. Once again, we will end up in the starting vertex W.

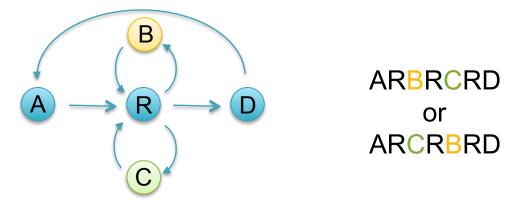


Algorithm for Constructing an Eulerian Cycle (cont'd)

c. Combine the cycles from (a) and (b) into a single cycle and iterate step (b).



Counting Eulerian Cycles



Generally an exponential number of compatible sequences

Value computed by application of the BEST theorem (Hutchinson, 1975)

$$\mathcal{W}(G,t) = (\det L) \Big\{ \prod_{u \in V} (r_u - 1)! \Big\} \Big\{ \prod_{(u,v) \in E} a_{uv}! \Big\}^{-1}$$

L = $n \times n$ matrix with r_u - a_{uu} along the diagonal and $-a_{uv}$ in entry uv $r_u = d^+(u) + I$ if u = t, or $d^+(u)$ otherwise $a_{uv} = \text{multiplicity of edge from } u \text{ to } v$

Assembly Complexity of Prokaryotic Genomes using Short Reads.

Kingsford C, Schatz MC, Pop M (2010) BMC Bioinformatics.

BFS and TSP

• BFS computes the shortest path between a pair of nodes in $O(|E|) = O(|N|^2)$

- What if we wanted to compute the shortest path visiting every node once?
 - Traveling Salesman Problem

ABDCA: 4+2+5+3 = 14

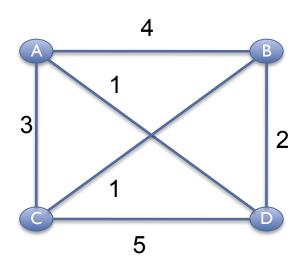
ACDBA: 3+5+2+4 = 14*

ABCDA: 4+1+5+1 = 11

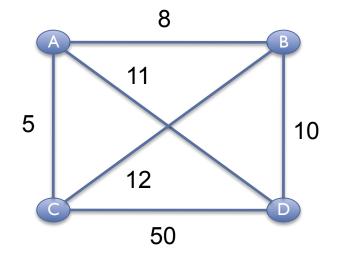
ADCBA: |+5+|+4 = ||*

ACBDA: 3+1+2+1 = 7

ADBCA: I+2+I+3= 7 *



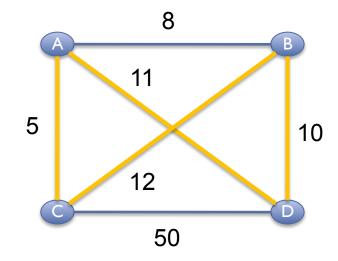
Greedy Search



Greedy Search

Greedy Search

```
cur=graph.randNode()
while (!done)
next=cur.getNextClosest()
```



Greedy: ABDCA = 5+8+10+50=73

Optimal: ACBDA = 5+11+10+12 = 38

Greedy finds the global optimum only when

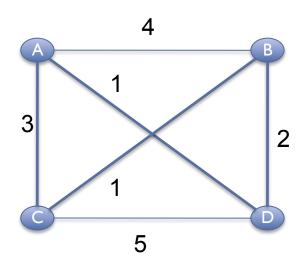
- I. Greedy Choice: Local is correct without reconsideration
- 2. Optimal Substructure: Problem can be split into subproblems

Optimal Greedy: Making change with the fewest number of coins

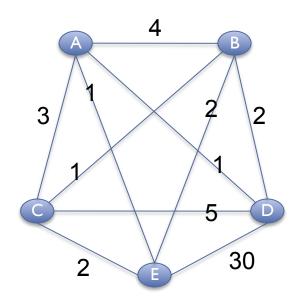
TSP Complexity

- No fast solution
 - Knowing optimal tour through n cities doesn't seem to help much for n+1 cities

[How many possible tours for n cities?]



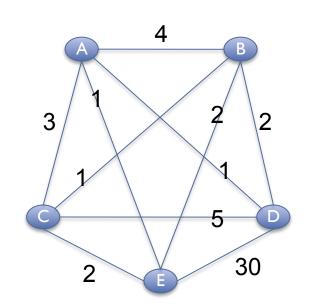
- Extensive searching is the only provably correct algorithm
 - Brute Force: O(n!)
 - ~20 cities max
 - $20! = 2.4 \times 10^{18}$



Branch-and-Bound

- Abort on suboptimal solutions as soon as possible
 - ADBECA = 1+2+2+2+3=10
 - ABDE = 4+2+30 > 10
 - ADE = 1+30 > 10
 - AED = I + 30 > 10

– ...



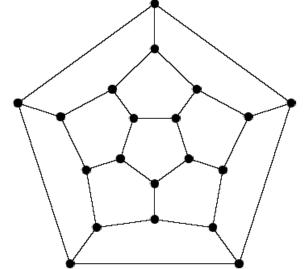
- Performance Heuristic
 - Always gives the optimal answer
 - Doesn't always help performance, but often does
 - Current TSP record holder:
 - 85,900 cities

• $85900! = 10^{386526}$

[When not?]

TSP and NP-complete

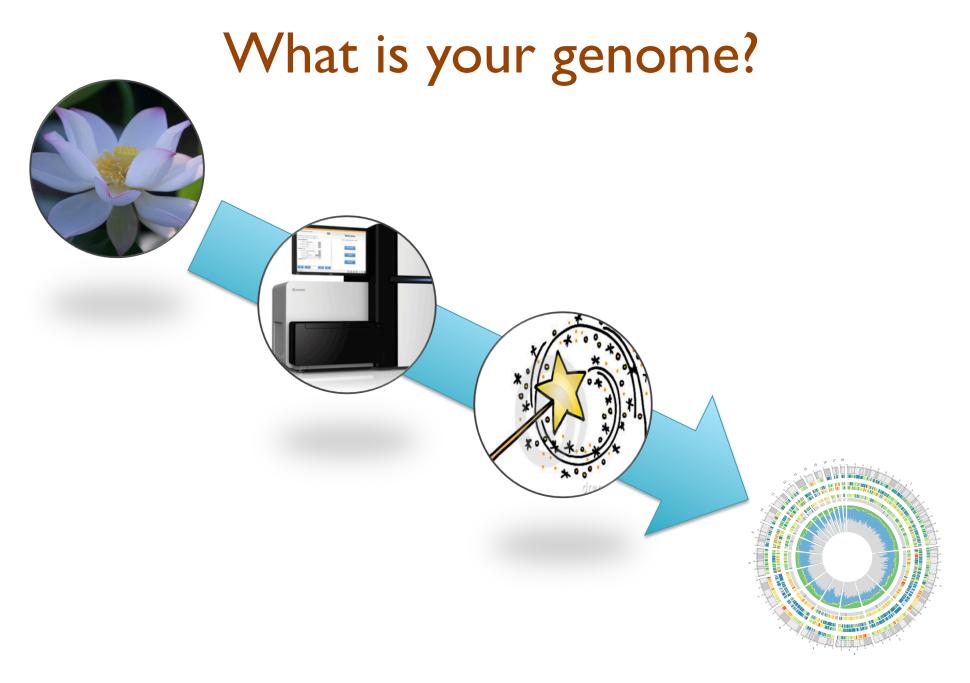
- TSP is one of many extremely hard problems of the class NP-complete
 - Extensive searching is the only way to find an exact solution
 - Often have to settle for approx. solution



- WARNING: Many biological problems are in this class
 - Find a tour the visits every node once (Genome Assembly)
 - Find the smallest set of vertices covering the edges (Essential Genes)
 - Find the largest clique in the graph (Protein Complexes)
 - Find the highest mutual information encoding scheme (Neurobiology)
 - Find the best set of moves in tetris
 - **–** ...
 - http://en.wikipedia.org/wiki/List_of_NP-complete_problems

Break





Like Dickens, we must computationally reconstruct a genome from short fragments

Assembly Applications

Novel genomes



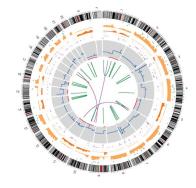


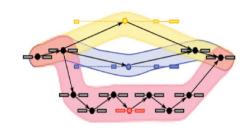
Metagenomes





- Sequencing assays
 - Structural variations
 - Transcript assembly





— ...

Assembling a Genome

I. Shear & Sequence DNA

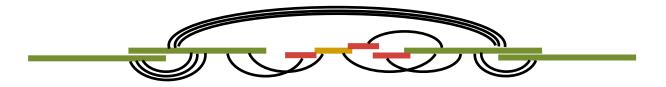


2. Construct assembly graph from overlapping reads

3. Simplify assembly graph



4. Detangle graph with long reads, mates, and other links



Shortest Common Superstring

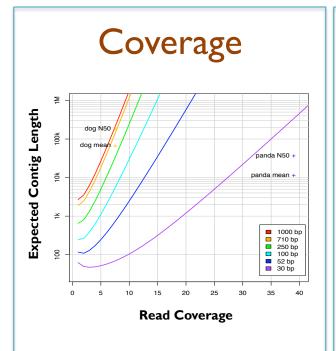
Given: $S = \{s_1, ..., s_n\}$

Problem: Find minimal length superstring of S

	s_{I_1} , s_2 , s_3 = CACCCGGGTGCCACC	15
s_I CACCC	$s_1, s_3, s_2 = CACCCACCGGGTGC14$	
s ₂ CCGGGTGC	$s_2, s_1, s_3 = CCGGGTGCACCCACC$	15
s ₃ CCACC	$s_2, s_3, s_1 = CCGGGTGCCACCC$ 13	
	$s_3, s_1, s_2 = CCACCCGGGTGC$ 12	
	$s_3, s_2, s_1 = CCACCGGGTGCACCC$	15

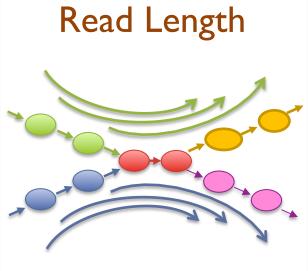
NP-Complete by reduction from Vertex-Cover and later Directed-Hamiltonian-Path

Ingredients for a good assembly



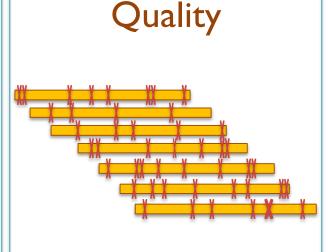
High coverage is required

- Oversample the genome to ensure every base is sequenced with long overlaps between reads
- Biased coverage will also fragment assembly



Reads & mates must be longer than the repeats

- Short reads will have false overlaps forming hairball assembly graphs
- With long enough reads, assemble entire chromosomes into contigs

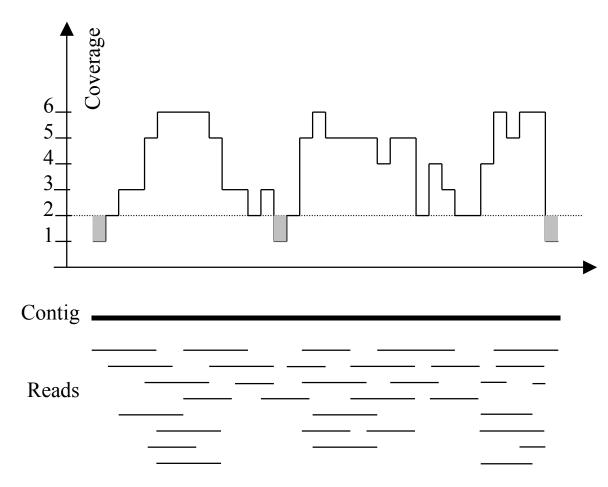


Errors obscure overlaps

- Reads are assembled by finding kmers shared in pair of reads
- High error rate requires very short seeds, increasing complexity and forming assembly hairballs

Current challenges in de novo plant genome sequencing and assembly Schatz MC, Witkowski, McCombie, WR (2012) Genome Biology. 12:243

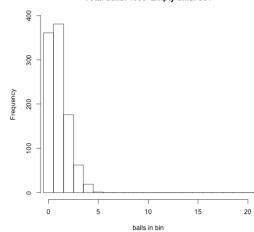
Typical contig coverage



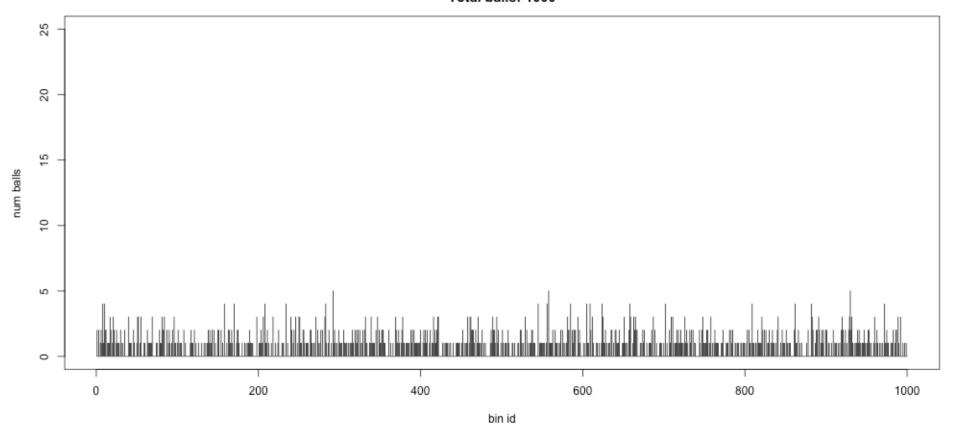
Imagine raindrops on a sidewalk

Histogram of balls in each bin Total balls: 1000 Empty bins: 361

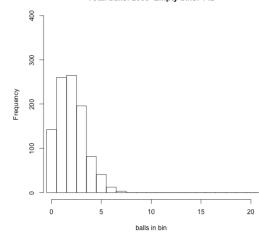
Balls in Bins Ix



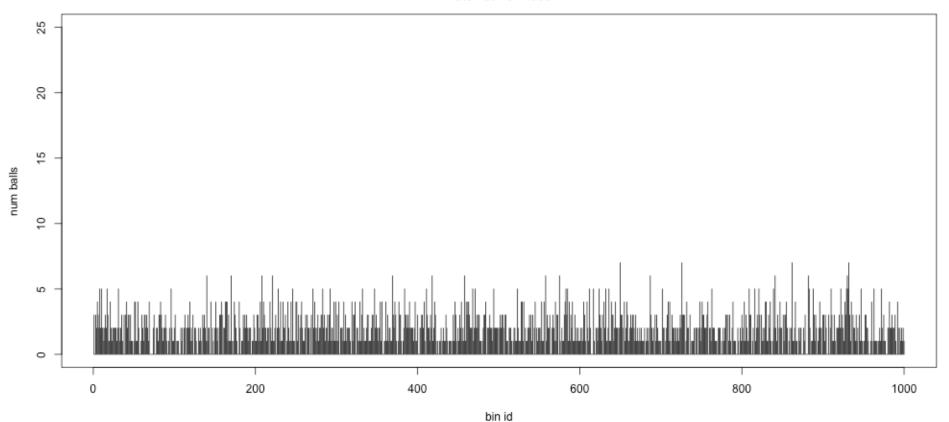
Balls in Bins Total balls: 1000



Balls in Bins 2x

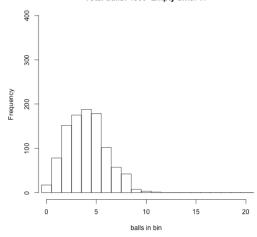


Balls in Bins Total balls: 2000

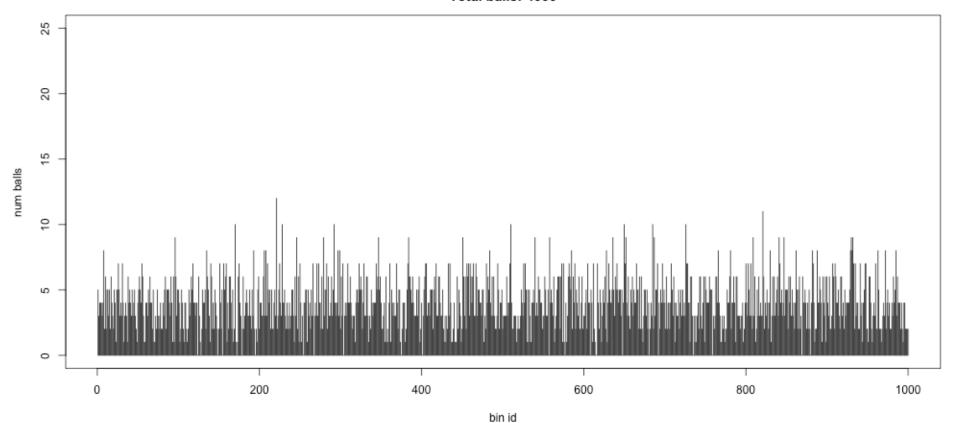


Histogram of balls in each bin Total balls: 4000 Empty bins: 17

Balls in Bins 4x

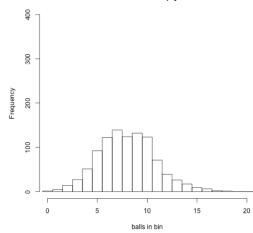


Balls in Bins Total balls: 4000

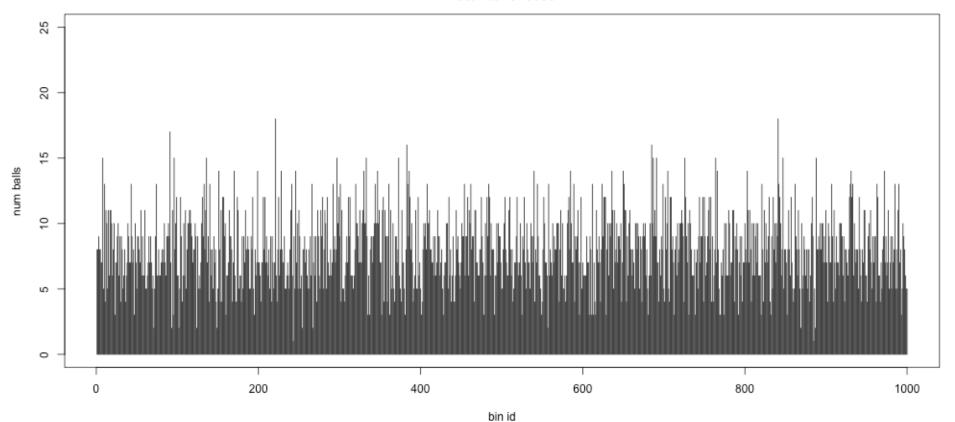


Histogram of balls in each bin Total balls: 8000 Empty bins: 1

Balls in Bins 8x



Balls in Bins Total balls: 8000



Lander Waterman Statistics

L = read length

T = minimum overlap

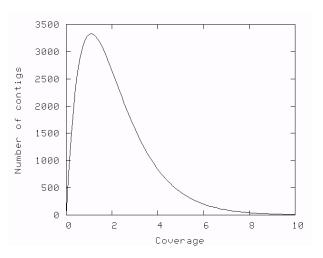
G = genome size

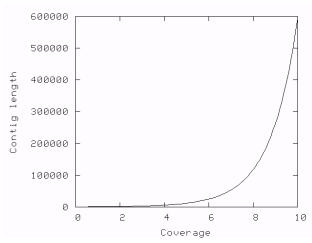
N = number of reads

c = coverage (NL / G)

$$\sigma = I - T/L$$

E(#contigs) = Ne<sup>-c
$$\sigma$$</sup>
E(contig size) = L(e^{c σ} – I) / c + I – σ





Genomic mapping by fingerprinting random clones: a mathematical analysis Lander ES, Waterman MS (1988) Genomics. 2(3):231-239

de Bruijn Graph Construction

- $D_k = (V,E)$
 - V = All length-k subfragments (k < l)
 - E = Directed edges between consecutive subfragments
 - Nodes overlap by k-1 words



- Locally constructed graph reveals the global sequence structure
 - Overlaps between sequences implicitly computed

de Bruijn, 1946 Idury and Waterman, 1995 Pevzner, Tang, Waterman, 2001

de Bruijn Graph Assembly

It was the best was the best of the best of times. it was the worst best of times, it was the worst of the worst of times, of times, it was worst of times, it times, it was the it was the age the age of foolishness After graph construction, try to simplify the graph as was the age of the age of wisdom, much as possible age of wisdom, it of wisdom, it was wisdom, it was the

Overlap all pairs of sequences

overlap (19 bases)
...AGCCTAGACCTACAGGATGCGCGGACACGTAGC
GGATGCGC-GACACGTAGCTTATCCGGT...
% identity = 18/19 % = 94.7%

overlap - region of similarity between reads

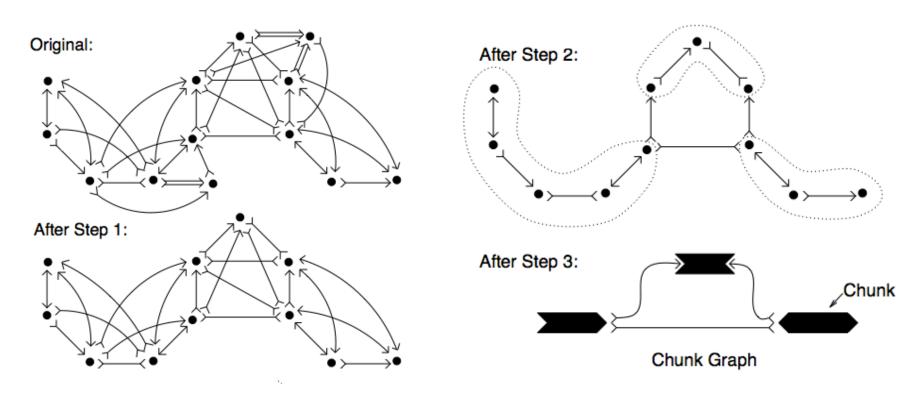
The assembler screens merges based on:

- length of overlap
- % identity in overlap region
- maximum overhang size

In practice, don't attempt to overlap all pairs, but require the pair to share an exact seed

[How do we score the overlap?]

Reducing overlaps to unitigs



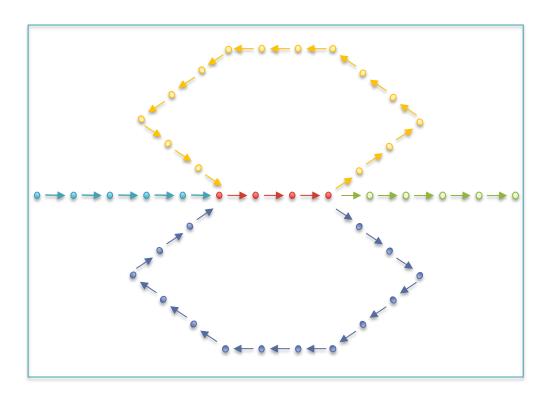
- Because we oversample the genome, most overlaps are redundant.
- Remove all "transitively inferred" overlaps
 - If A overlaps B, and B overlaps C, the extra overlap between A and C can be transitively implied

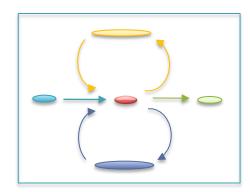
Toward simplifying and accurately formulating fragment assembly. Myers, EW (1995) J Comp Bio. 2(2):275-90.

Unitigging / Unipathing

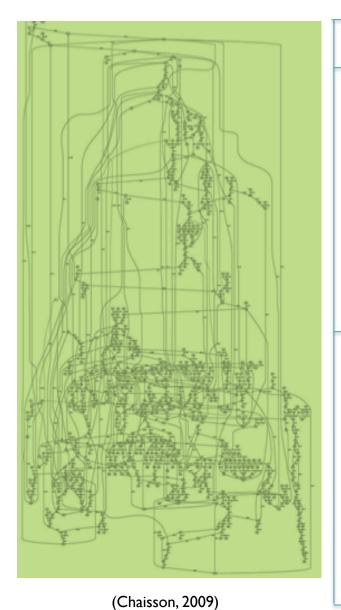
After simplification and correction, compress graph down to its non-branching initial contigs

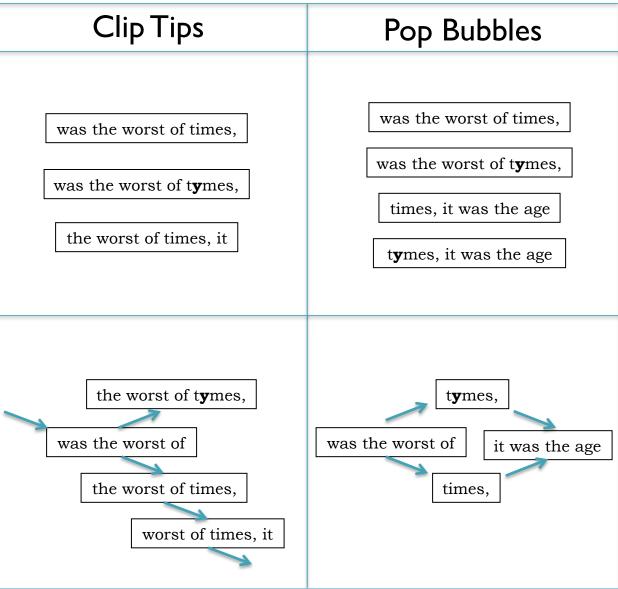
- Aka "unitigs", "unipaths"
- Unitigs end because of (1) lack of coverage, (2) errors, and (3) repeats





Errors in the graph



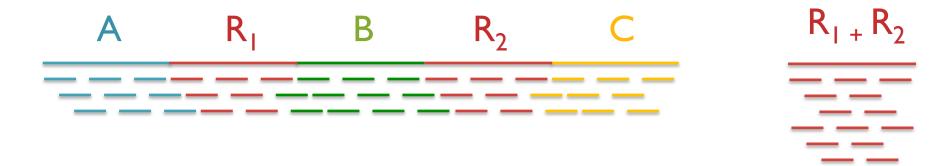


Repetitive regions

Repeat Type	Definition / Example	Prevalence
Low-complexity DNA / Microsatellites	$(b_1b_2b_k)^N$ where $1 \le k \le 6$ CACACACACACACACACA	2%
SINEs (Short Interspersed Nuclear Elements)	Alu sequence (~280 bp) Mariner elements (~80 bp)	13%
LINEs (Long Interspersed Nuclear Elements)	~500 – 5,000 bp	21%
LTR (long terminal repeat) retrotransposons	Ty I-copia, Ty 3-gypsy, Pao-BEL (~100 – 5,000 bp)	8%
Other DNA transposons		3%
Gene families & segmental duplications		4%

- Over 50% of mammalian genomes are repetitive
 - Large plant genomes tend to be even worse
 - Wheat: 16 Gbp; Pine: 24 Gbp

Repeats and Coverage Statistics



- If *n* reads are a uniform random sample of the genome of length *G*, we expect $k=n\Delta/G$ reads to start in a region of length Δ .
 - If we see many more reads than k (if the arrival rate is > A), it is likely to be a collapsed repeat

$$\Pr(X - copy) = \binom{n}{k} \left(\frac{X\Delta}{G}\right)^k \left(\frac{G - X\Delta}{G}\right)^{n-k}$$

$$A(\Delta, k) = \ln\left(\frac{\Pr(1 - copy)}{\Pr(2 - copy)}\right) = \ln\left(\frac{\frac{(\Delta n/G)^k}{k!} e^{\frac{-\Delta n}{G}}}{\frac{(2\Delta n/G)^k}{k!} e^{\frac{-2\Delta n}{G}}}\right) = \frac{n\Delta}{G} - k \ln 2$$

The fragment assembly string graph

Myers, EW (2005) Bioinformatics. 21 (suppl 2): ii79-85.

Paired-end and Mate-pairs

Paired-end sequencing

- Read one end of the molecule, flip, and read the other end
- Generate pair of reads separated by up to 500bp with inward orientation



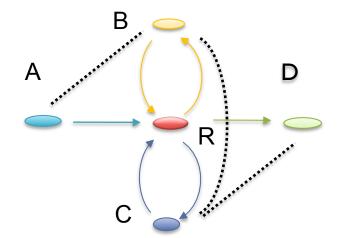
Mate-pair sequencing

- Circularize long molecules (I-10kbp), shear into fragments, & sequence
- Mate failures create short paired-end reads



Scaffolding

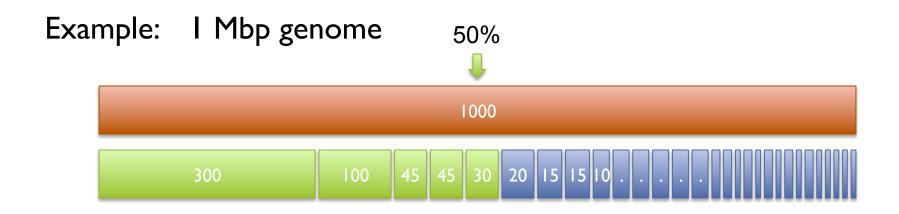
- Initial contigs (aka unipaths, unitigs) terminate at
 - Coverage gaps: especially extreme GC
 - Conflicts: errors, repeat boundaries
- Use mate-pairs to resolve correct order through assembly graph
 - Place sequence to satisfy the mate constraints
 - Mates through repeat nodes are tangled
- Final scaffold may have internal gaps called sequencing gaps
 - We know the order, orientation, and spacing,
 but just not the bases. Fill with Ns instead





N50 size

Def: 50% of the genome is in contigs as large as the N50 value



N50 size = 30 kbp
$$(300k+100k+45k+45k+30k = 520k >= 500kbp)$$

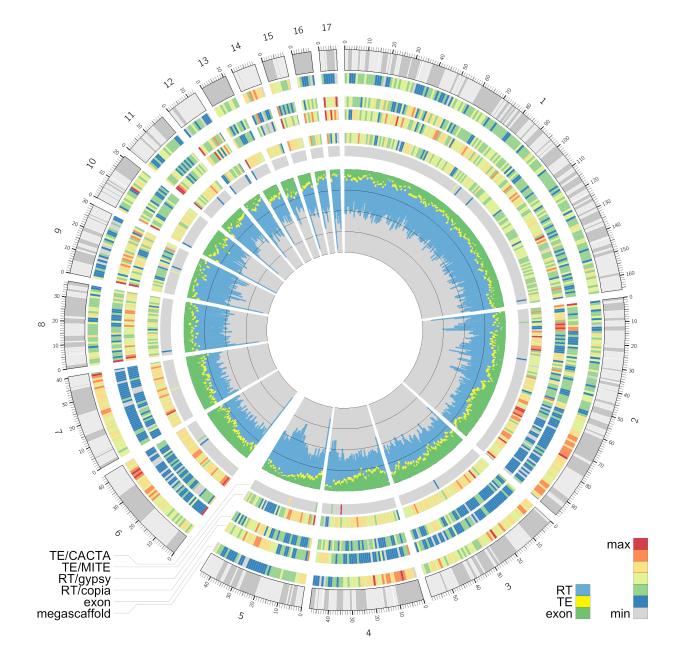
Note:

N50 values are only meaningful to compare when base genome size is the same in all cases

Publishing a genome!

After assembly:

- Validation
- WGA
- BLAST
- CEGMA
- Gene Finding
- Repeat mask
- RNA-seq
- *-seq
- •
- Publish! ©



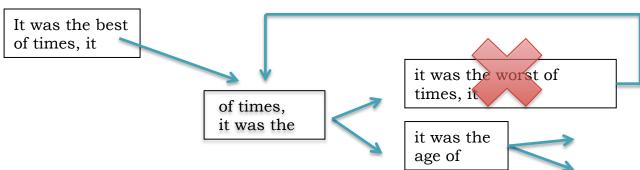
Assembly Validation



Automatically scan an assembly to locate misassembly signatures for further analysis and correction

Assembly-validation pipeline

- I. Evaluate Mate Pairs & Libraries
- 2. Evaluate Read Alignments
- 3. Evaluate Read Breakpoints
- 4. Analyze Depth of Coverage

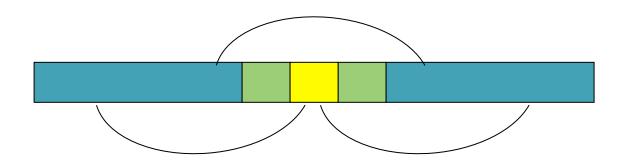


Genome Assembly forensics: finding the elusive mis-assembly. Phillippy, AM, Schatz, MC, Pop, M. (2008) *Genome Biology* 9:R55.

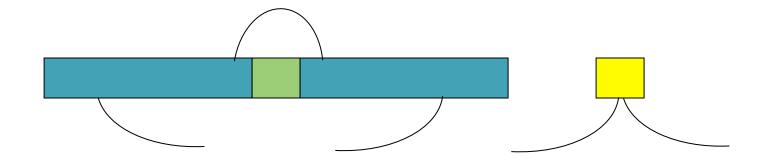
Mate-Happiness: asmQC

• Excision: Skip reads between flanking repeats

– Truth



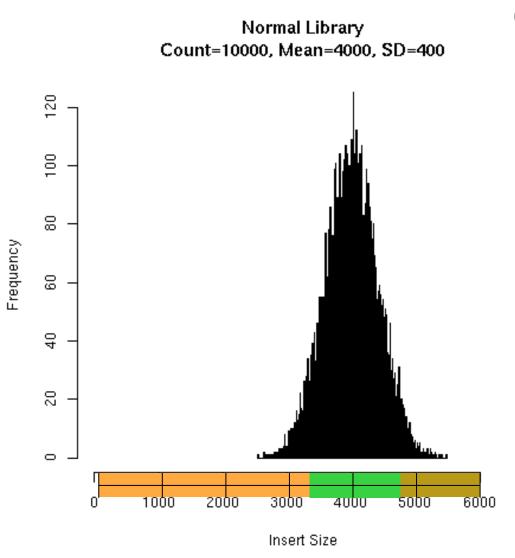
- Misassembly: Compressed Mates, Missing Mates

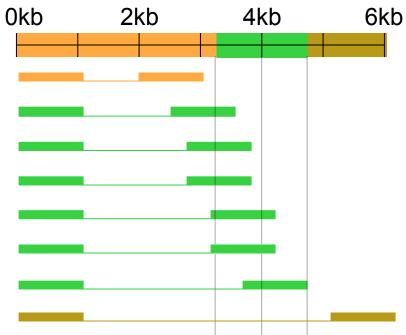


C/E Statistic

- The presence of individual compressed or expanded mates is rare but expected.
- Do the inserts spanning a given position differ from the rest of the library?
 - Flag large differences as potential misassemblies
 - Even if each individual mate is "happy"
- Compute the statistic at all positions
 - (Local Mean Global Mean) / Scaling Factor
- Introduced by Jim Yorke's group at UMD

Sampling the Genome





8 inserts: 3kb-6kb

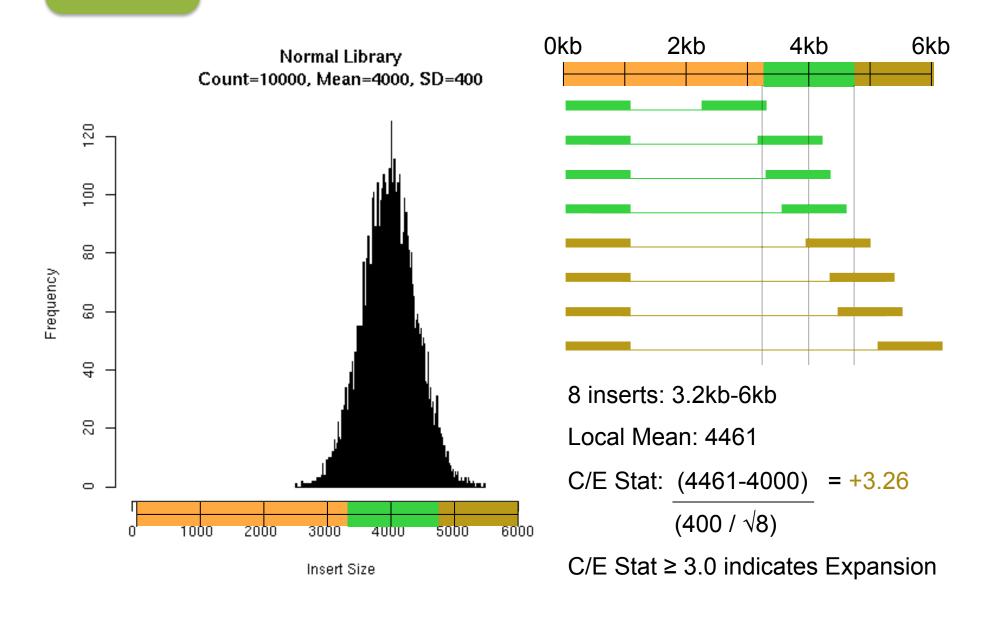
Local Mean: 4048

C/E Stat: (4048-4000) = +0.33

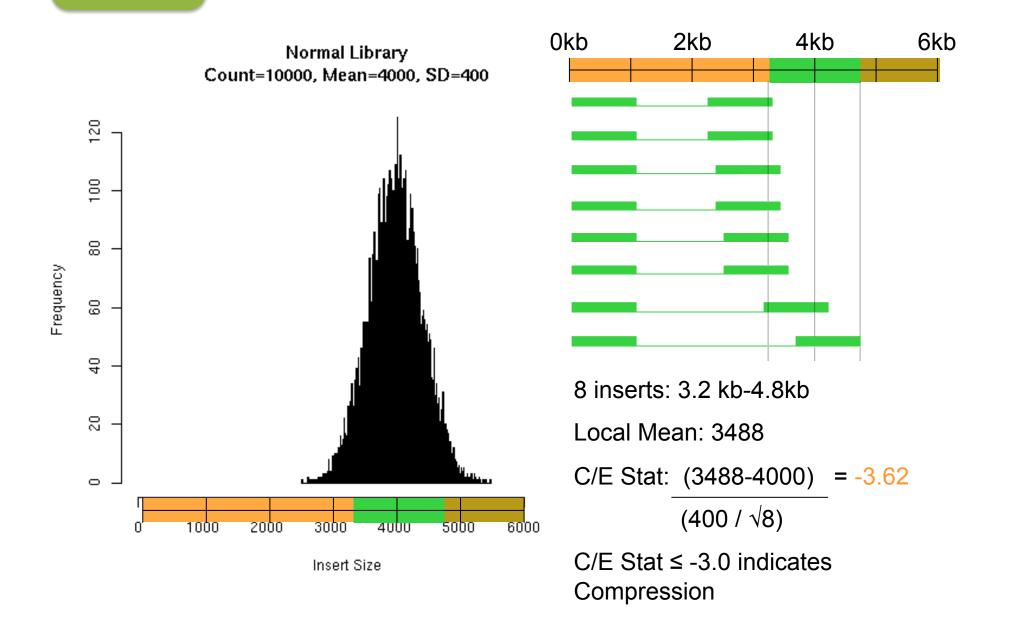
 $(400 / \sqrt{8})$

Near 0 indicates overall happiness

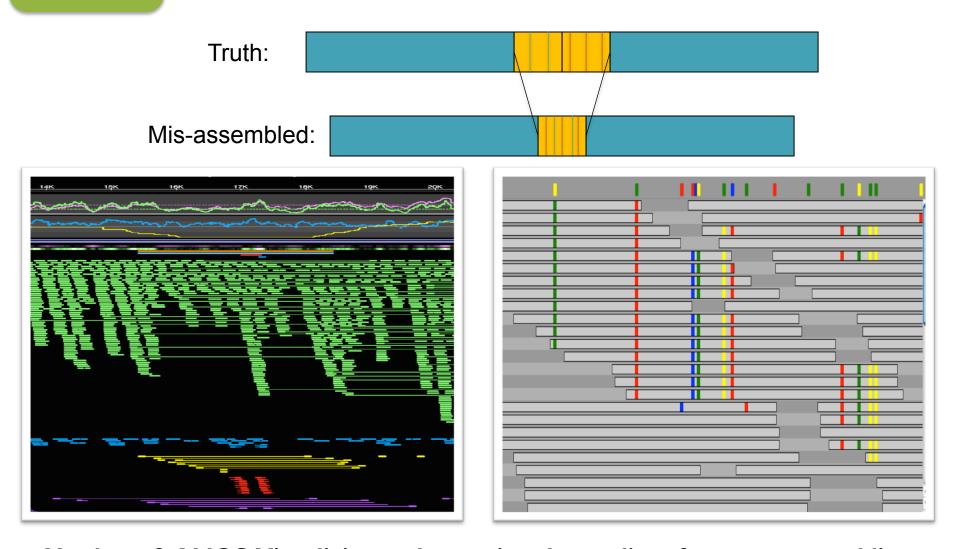
C/E-Statistic: Expansion



C/E-Statistic: Compression



Assembly Forensics



Hawkeye & AMOS: Visualizing and assessing the quality of genome assemblies Schatz, M.C. et al. (2011) Briefings in Bioinformatics.

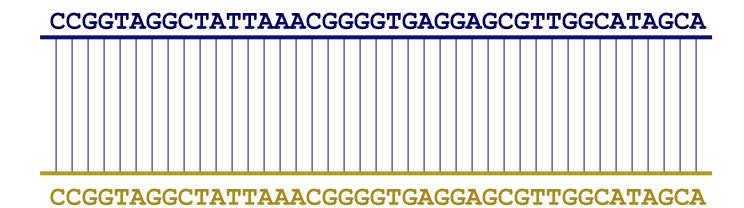


Whole Genome Alignment with MUMmer

Slides Courtesy of Adam M. Phillippy amp@umics.umd.edu

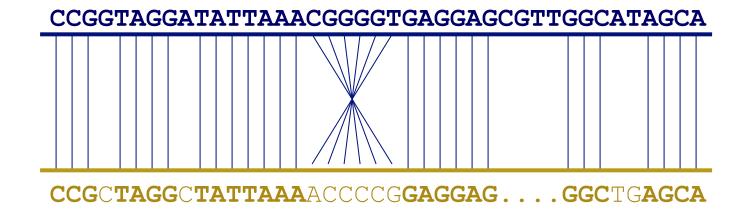
Goal of WGA

 For two genomes, A and B, find a mapping from each position in A to its corresponding position in B



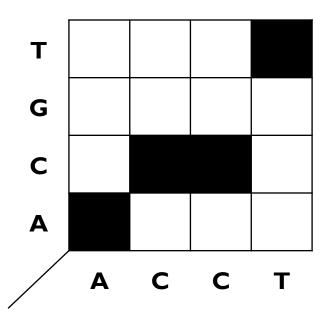
Not so fast...

• Genome A may have insertions, deletions, translocations, inversions, duplications or SNPs with respect to B (sometimes all of the above)

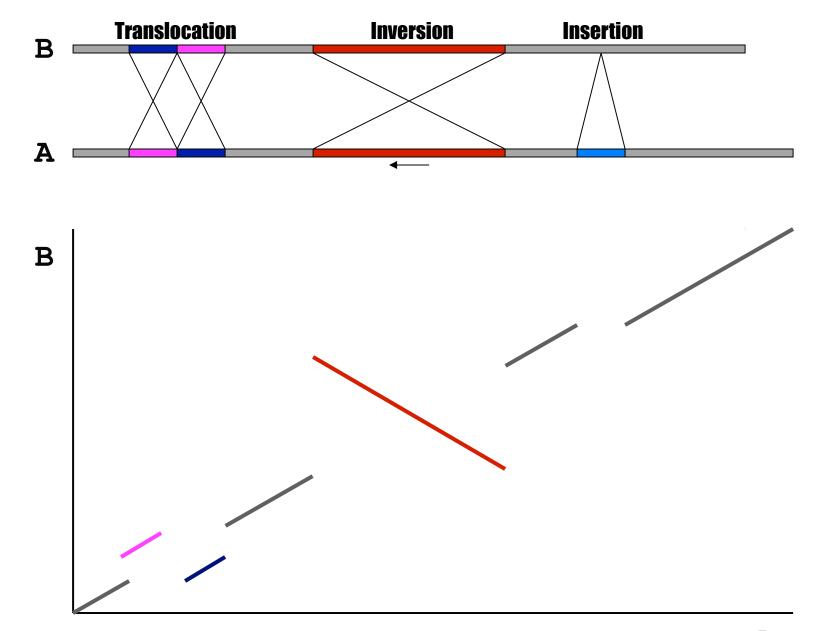


WGA visualization

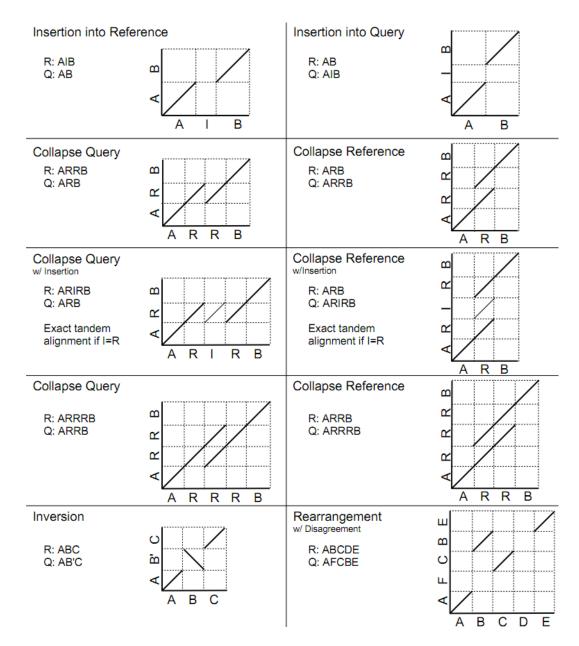
- How can we visualize whole genome alignments?
- With an alignment dot plot
 - $-N \times M$ matrix
 - Let *i* = position in genome *A*
 - Let j = position in genome B
 - Fill cell (i,j) if A_i shows similarity to B_i



 A perfect alignment between A and B would completely fill the positive diagonal



SV Types



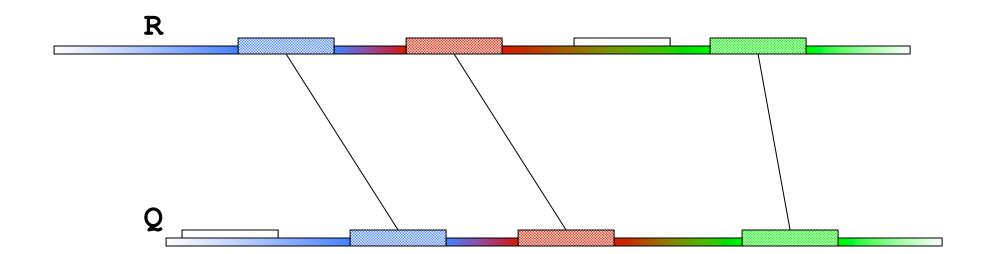
- Different structural variation types / misassemblies will be apparent by their pattern of breakpoints
- Most breakpoints will be at or near repeats
- Things quickly get complicated in real genomes

http://mummer.sf.net/manual/ AlignmentTypes.pdf

Seed and Extend

How can we quickly align two genomes?

FIND all exact matches (MUMs) of minimum length CLUSTER consistent MUMs
EXTEND alignments



WGA example with nucmer

- Yersina pestis CO92 vs. Yersina pestis KIM
 - High nucleotide similarity, 99.86%
 - Extensive genome shuffling
 - Highly repetitive

```
nucmer -maxmatch CO92.fasta KIM.fasta
-maxmatch Find maximal exact matches (MEMs)
```

```
delta-filter -m out.delta > out.filter.m
```

-m Many-to-many mapping

show-coords -r out.delta.m > out.coords

-r Sort alignments by reference position

dnadiff out.delta.m

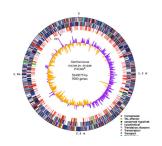
Construct catalog of sequence variations

mummerplot --layout out.delta.m

--layout Nice layout for multi-fasta files

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Assembly Summary



Assembly quality depends on

- 1. Coverage: low coverage is mathematically hopeless
- 2. Repeat composition: high repeat content is challenging
- 3. Read length: longer reads help resolve repeats
- 4. Error rate: errors reduce coverage, obscure true overlaps
- Assembly is a hierarchical, starting from individual reads, build high confidence contigs/unitigs, incorporate the mates to build scaffolds
 - Extensive error correction is the key to getting the best assembly possible from a given data set
- Watch out for collapsed repeats & other misassemblies
 - Globally/Locally reassemble data from scratch with better parameters & stitch the 2 assemblies together

Thank You













http://schatzlab.cshl.edu/teaching/ @mike_schatz